

HADRON

BARONI

$u, d, s : 3^3 = 27$ RAZLICHNIH KOMBINACIJ

$$+ \frac{2}{3}e_0, -\frac{1}{3}e_0, \quad u, d, s \\ + \frac{2}{3}e_0 = -\frac{1}{3}e_0$$

SIMETRIACNE KOMBINACJE

S KOMBI N IN d

$$\psi_{s_1} = |uuu\rangle \quad \psi_{s_2} = |ddd\rangle$$

IZOSPIN

$$I_3(p) = +\frac{1}{2} \quad I_3(n) = -\frac{1}{2}$$

PO ANALOGII OPERATORA

$$I_+|p\rangle = 0$$

$$I_+|n\rangle = |p\rangle$$

$$I_+|u\rangle = 0$$

$$I_+|d\rangle = 0$$

$m_n \approx m_p$

$I_+|u\rangle = 0$

$I_+|d\rangle = 0$

$I_+|n\rangle = 0$

$I_+|p\rangle = 0$

$I_+|u\rangle = 0$

$I_+|d\rangle = 0$

$$I_-|uuu\rangle = \sum_{i=1}^3 I_{i-}|uuu\rangle = |udu\rangle + |ndu\rangle + |nuu\rangle$$

$$\psi_3 = \frac{1}{\sqrt{3}}(|duu\rangle + |ndu\rangle + |nuu\rangle)$$

$$\hat{I}_+|ddd\rangle = \sum_{i=1}^3 I_{i+}|ddd\rangle = |udd\rangle + |dud\rangle + |oldu\rangle$$

$$\psi_3 = \frac{1}{\sqrt{3}}(|udd\rangle + |dud\rangle + |oldu\rangle)$$

CUDNOST

ZDAN. PRED NA STANEJO U PARH

$$\pi^- p \rightarrow K^0 \Lambda^0$$

PRE RAZRADO: $\Lambda^0 \rightarrow \bar{\pi}^- p$

$$S=-1 \quad S=0$$

$$\Delta^0 \rightarrow \bar{\pi}^0 n$$

$$C \sim 10^{-10} s$$

KOJKA INTERAKCIJA

$$SO \quad \rightarrow \bar{\pi}^- p$$

$$S=0$$

CUDNOST SE OBRONTA PRI MODU IN E.M. INTERAKCIJA, NE PARI SIECI



KVARK S : CUDNOST S=-1

$$\psi_{S3} : d \rightarrow s$$

$$\psi_{Su} : u \rightarrow s$$

$$\psi_{S5} = \frac{1}{\sqrt{3}} (|sun\rangle + |usu\rangle + |uus\rangle)$$

$$\psi_{S6} = \frac{1}{\sqrt{3}} (|sdu\rangle + |uds\rangle + |udd\rangle)$$

$$\psi_{S3} = \frac{1}{\sqrt{3}} (|dun\rangle + |ndu\rangle + |nud\rangle) \xrightarrow{u \rightarrow s}$$

$$\frac{1}{\sqrt{6}} (|uds\rangle + |dus\rangle + |sdu\rangle + |uds\rangle + |sud\rangle + |usd\rangle) = \psi_{S7}$$

$$\frac{1}{\sqrt{3}} (|sun\rangle + |usu\rangle + |uus\rangle) = \psi_{S8}$$

$$\frac{1}{\sqrt{3}} (|ssd\rangle + |sds\rangle + |dds\rangle) = \psi_{S9}$$

$$|sss\rangle = \psi_{S10}$$

\Rightarrow 10 SIMETRICHNE KVODNITKE FUNKCII

ANTISIMETRICHNA KVODNIA FUNKCII

z dva vektori $|nd\rangle - |dn\rangle$

$$\psi_{A1} = \frac{1}{\sqrt{6}} (|uds\rangle - |dus\rangle + |dsu\rangle - |usd\rangle + |sud\rangle - |sdl\rangle)$$

OSTANE 16 VELKOVYSH FUNKCII: NITI POPOLNOVA SIMETRICHNE NITI ANTISIMETRICHNE

$$\psi_{MA1} = \frac{1}{\sqrt{2}} (|ndu\rangle - |dnw\rangle)$$

$$\psi_{MS1} = \frac{1}{\sqrt{2}} (|ndu\rangle + |dnw\rangle)$$

PROBLEM NECA Δ^{++}

$$\Delta^{++} \text{ BNEON } |nun\rangle$$

$$\text{SPIN } J = \frac{3}{2}$$

$$\psi_{\Delta^+} = \psi(\vec{n})$$

$$\psi_{\text{SPIN}} \psi_{\text{J=3/2}}$$

$$\psi_{\Delta^{++}} \text{ KORE BRI ANTISIMETRICHNA (FUNKCIJA } J=3/2)$$

$$\psi_{\text{KRAJENI DER}} \psi_{\text{SIMETRICHNA}}$$

$$\psi_{\text{KRAJENI DER}} \psi_{\text{SIMETRICHNA}}$$



⇒

POTREBUTEM DODATNO POCASNO STAVJO : BAeva

KVAREL : TEGE NOZI BERNI NABOJ R : RDEA, B: MADEA, C: ZELENA

$$\Psi_A(BAva) = \frac{1}{\sqrt{2}} (|RAB\rangle + |QBR\rangle + |BRa\rangle - |RBq\rangle)$$

ENKA ZA VSE BAevNE

MANO SESTAVITI RAZVORKI VL. ENKECE 12 BESVITA VAL. F. Z MESTNO SIMETRIJO?

$$\Psi = \Psi^{(\vec{n})} \underbrace{\Psi_{\text{SPIN}}}_{\text{SIMETRIJA}} \underbrace{\Psi_{\text{PAWS}}}_{\text{ANTISIMETRIJA}}$$

$$\Psi_{MA1} = \frac{1}{\sqrt{2}} (|udn\rangle - |dnu\rangle) \quad \text{ANALOGIA: SPINSKI} \begin{cases} \frac{1}{\sqrt{2}} (|\uparrow\downarrow\uparrow\rangle - |\downarrow\uparrow\uparrow\rangle) \\ \frac{1}{\sqrt{2}} (|\uparrow\downarrow\uparrow\rangle + |\downarrow\uparrow\uparrow\rangle) \end{cases}$$

$$\Psi_{MS1} = \frac{1}{\sqrt{2}} (|udn\rangle + |dnu\rangle) \quad \text{SESTAVIM} \quad \Psi_{MS1} (\text{dew}) \Psi_{MS1} (\text{spin}) + \Psi_{MA1} (\text{dew}) \Psi_{MA1} (\text{spin})$$

PRAVA OBILNA H. SIMETRIJE VL. FUNKCIJE : RESOJ!

$$\begin{cases} \langle \Psi_{MA1} | \Psi_{MS1} \rangle = 0 & \langle \Psi_{S3} | \Psi_{MS1} \rangle = 0 \quad \langle \Psi_{MA1} | \Psi_{S3} \rangle = 0 \\ \langle \Psi_{MS1} \rangle = a |udn\rangle + b |dnu\rangle + c |idnu\rangle \\ \Rightarrow 0 = (\langle udn | - \langle dnu |)(a |udn\rangle + b |dnu\rangle + c |idnu\rangle) \\ 0 = a - c \Rightarrow c \end{cases}$$

$$0 = (a |udn\rangle + b |dnu\rangle + c |idnu\rangle)(a |udn\rangle + b |dnu\rangle + c |idnu\rangle)$$

$$0 = a^2 + b^2 + c^2 = a^2 + 2b^2 + c^2 = 1 \quad \Psi_{MS1} \text{ NOENLEANA}$$

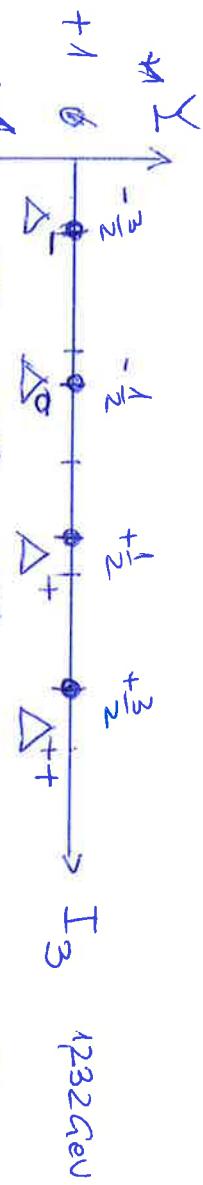
$$1 \langle \Psi_{MS1} \rangle = b (2 |udn\rangle + |dnu\rangle + |idnu\rangle) = \frac{1}{\sqrt{2}} (2 |udn\rangle + |dnu\rangle + |idnu\rangle)$$



\otimes MES. SIM + \otimes MES ANTS \rightarrow \otimes BARYON S SNOOK $\frac{1}{2}$ \otimes

KASIMUWAJA BARYON ν 2D : I_3 , $Y = B + S$ HYPENABOT

SIMETRICAL VACUUM FONNCTE



$$J = \frac{3}{2}$$

nnn, \dots
 snn, \dots
 sss, \dots

1.380 GeV

1.530 GeV

-2
-1
0
+1



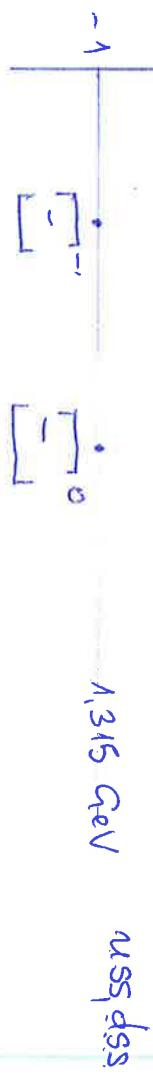
DECUPLET



1.315 GeV nnn, sss
1.190 GeV nnn, nnn, add, odd

$$J = \frac{1}{2}$$

OKTET



nnn, sss

1.670 GeV

sss



DECUPLET

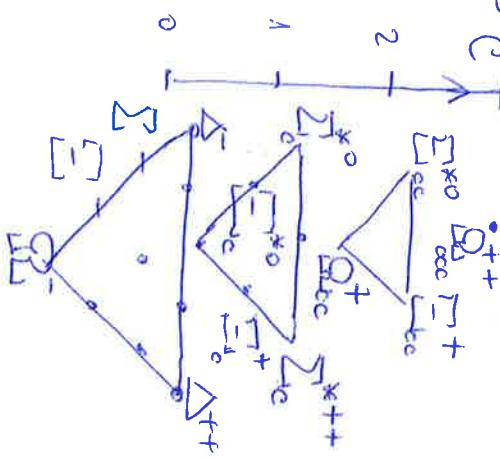


BARION S KVALI C

29

KVALI C : DODATNO U. STVOLO C AREBOST C(c) = +1

AREBOST LATKO TVEZIN TUD BREICHE S KVALI b



MAGNETAR

MOMENT P IN M

J = $\frac{1}{2}$

$$\psi = [\psi_{NS1}(\text{flow}) + \psi_{NS1}(\text{spin}) + \psi_{NA1}(\text{flow}) \psi_{NA1}(\text{spin})]$$

$$\mu_p = \langle p | \sum_{i=1}^3 \hat{\mu}_i | p \rangle$$

TOEKAST
DEELER
SIN $\frac{1}{2} \rightarrow g_S = 2$

$$|p^\uparrow\rangle = \frac{1}{\sqrt{8}} [2|u\uparrow u\uparrow d\downarrow\rangle - |u\uparrow u\downarrow d\uparrow\rangle - |u\downarrow u\uparrow d\downarrow\rangle +$$

$$2|d\downarrow u\uparrow u\uparrow\rangle - |d\uparrow u\downarrow u\uparrow\rangle - |d\downarrow u\uparrow u\uparrow\rangle +$$

$$2|u\uparrow d\downarrow u\uparrow\rangle - |u\downarrow d\uparrow u\uparrow\rangle - |u\uparrow d\uparrow u\downarrow\rangle]$$

$$Q_u = +\frac{2}{3}, Q_d = -\frac{1}{3}$$

$$\Rightarrow \mu_p = \frac{e_0}{2^{2m_2}} \quad \mu_m = -\frac{2}{3} \frac{e_0}{2^{2m_2}}$$

→ VAJE

$$\frac{\mu_m}{\mu_p} = -\frac{2}{3}$$

$$\text{EXPERIMENT: } \frac{\mu_m}{\mu_p} = -0.685$$

✓

MEZONI

$2_i \bar{2}_j$

$$C: |2\rangle \rightarrow |\bar{2}\rangle$$

$$\hat{C}|u\rangle = -|\bar{u}\rangle$$

$$C|d\rangle = |d\rangle$$

$$= |2\rangle$$

voordragerde NABESTA

$$\hat{C}|2\rangle = e^{i\varphi} |\bar{2}\rangle$$

$$\hat{C}^2|2\rangle = \hat{C}(e^{i\varphi} |\bar{2}\rangle) = e^{i\varphi} e^{-i\varphi} |2\rangle$$

